$\qquad$
1: $\quad$ Solve for $\mathrm{x}: \quad \frac{2}{3}+\frac{1}{3} x=6$
2: Evaluate $45 \div 3^{2} x(x-1)$, for $x=3$

3: Solve for y ( y on the left, everything else on the right): $\frac{y}{4}-x=2$

4: Solve for L: $P=2 L+2 W$
5: Solve for h: $A=\frac{1}{2} b h$
6: Leon left a $\$ 4$ tip for a meal that cost $\$ 25$. What percent of the cost of the meal was the tip?
7: Convert to decimal notation: $0.7 \%$
8 : What number is $35 \%$ of 240 ?
9: Graph $-5 \leq x<2$


10: Solve this inequality and graph $2 x \leq x+9$


11: Solve this inequality ( x on the left, everything else on the right): $7+3 \mathrm{x}<34$

12: Five times the sum of 3 and some number is 70 . What is the number?

13: A "two by four" is twice as wide as it is high. If the perimeter is 10.5 " what are the actual dimensions of the "two by four"?
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Solve problems 14,15 and 16 using the addition and multiplication principles. Remember the unknown is on the left and the constants on the right.

14: $6+5 y \geq 26$

15: $5-6 y>25$
16: $7+3 x<34$

17: Find the coordinates of points $\mathrm{A}, \mathrm{B}, \mathrm{C}$ and D .
Enter the answer as an ordered pair ; example: $(1,2)$


18: Plot the following ordered pairs.
$(5,-2),(-3,-2),(-3,3)$

$\qquad$
19: In which quadrant is this point located? $(7,-2)$
20: Clear the denominator (rewrite equation to eliminate the denominator): $A=\frac{x+y}{3}+1$

21: In April 2004, Dan Wheldon won the Indy Japan 300 with a time of 3:29:56 for the 300 mi race. At one point Wheldon was 80 mi closer to the finish than the start. How far had Wheldon travelled at that point.

22: The sum of three consecutive numbers is 60 . Find the numbers.

23: Combine like terms : $-3+8 \mathrm{x}+4+(-10 \mathrm{x})$

24: Subtract these fractions $\frac{7}{a}-\frac{5}{a}$
25: Divide $\frac{7}{a} \div \frac{5}{a}$

